

## A new look at 2-local automorphisms

Lajos Molnár

University of Szeged, and Budapest University of Technology and  
Economics

By a well-known result of P. Šemrl, every 2-local automorphism of the full operator algebra over a separable Hilbert space is necessarily an automorphism. This means that every map of that algebra which, on each two-point subset, equals an algebra automorphism (depending on the two-point sets in question) is necessarily itself an algebra automorphism. This can be formulated as saying that the automorphism group of the algebra is 2-reflexive. In this talk we present recent results in which we strengthen that result quite substantially for  $*$ -automorphisms. We show that one can compress the defining two equations of 2-local  $*$ -automorphisms into one single equation, hence weakening the requirement significantly, but still keeping essentially the conclusion that such maps are necessarily  $*$ -automorphisms. The observation leads also to the result that the full isometry group (not only the subgroup of linear isometries) of the full operator algebra is 2-reflexive.